

Superconducting Gap Anisotropy in $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$: Results from Photoemission

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We have performed angle resolved photoelectron spectroscopy on the electron doped cuprate superconductor $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$. A comparison of the leading edge midpoints between the superconducting and normal states reveals a small, but finite shift of 1.5–2 meV near the $(\pi, 0)$ position, but no observable shift along the zone diagonal near $(\pi/2, \pi/2)$. This is interpreted as evidence for an anisotropic superconducting gap in the electron doped materials, which is consistent with the presence of d -wave superconducting order in this cuprate superconductor.

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It is now generally agreed that the hole doped (p -type) cuprate superconductors have an order parameter whose majority component is of $d_{x^2-y^2}$ symmetry. Angle resolved photoelectron spectroscopy (ARPES) has provided a key piece of early evidence by the demonstration of a large momentum space anisotropy of the electronic excitation gap [1]. Quantum interference devices have given a definitive attestation to the existence of an order parameter that changes sign in momentum space [2]. Corroborating evidence has been provided by a number of other techniques [3].

In contrast, the experimental and theoretical situation on the small family of electron doped (n -type) cuprate superconductors [4], such as $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$, has not reached a similar détente. Tunneling [5], microwave penetration depth [6], and Raman [7] measurements all yield evidence for some kind of nearly uniformly gapped Fermi surface. In addition, $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$ is the only measured cuprate superconductor that does not exhibit the so-called zero-bias Andreev bound state on its (110) surface that has been interpreted as a consequence of a momentum space sign change in the superconducting order parameter [8,9].

However, recent work has called this picture of a uniformly gapped Fermi surface into some doubt. There is evidence from measurements using scanning SQUID microscopy on tricrystal films that the electron doped materials have an order parameter with a large d -wave component [10]. In addition, there has been speculation that the ordering at low temperature of the free $4f$ moments on the rare earth Nd ions affects the usual microwave penetration depth measurements by altering the low temperature magnetic permeability [8]. A recent reanalysis of microwave data that incorporates a correction for the Nd spin ordering, as well as experiments on the related paramagnetic material $\text{Pr}_{2-x}\text{Ce}_x\text{CuO}_4$, has been interpreted as being more consistent with a d -wave scenario [11].

On the theoretical side, there have been problems reconciling the s -wave experimental results with current mod-

els. As in the hole doped case, strong on-site Coulomb repulsion in the copper oxygen plane strongly favors an anisotropic order parameter that has positive and negative lobes.

We have recently restudied the $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$ system using high resolution ARPES and found two distinct features in the low energy spectra, which contrasts with the behavior of the p types with hole doping, where the systematics of the single low energy feature interpolates between the prototypical undoped insulator and the optimally doped superconductor [12]. In the case of $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$, the spectra are dominated by a broad highly dispersive feature. In addition, a weaker feature at lower binding energy (<80 meV) is observed near the $(\pi, 0)$ position. These two features should not be viewed as deriving from separate “bands” of independent origin, as they conspire together to give a Fermi surface with the expected Luttinger volume.

In this Letter we focus on an energy scale much lower than that of our other work [12] (below 5 meV). The central intellectual issue is the anisotropy of the superconducting gap, which should manifest itself in the ARPES spectra as a displacement of the leading edge to higher binding energy as a gap opens up.

The single crystals of $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$ used in this study were grown by the traveling solvent floating zone method. Details of this growth can be found elsewhere [13].

ARPES measurements were performed at beam line 5-4 of the Stanford Synchrotron Radiation Laboratory. This system is a Scienta SES 200 electron spectrometer coupled to a normal incidence monochromator that is capable of better than 10 meV energy resolution and 0.2° angular resolution. Data were taken in Scienta “Angle” mode, in which an entire $\pm 5.5^\circ$ angular cut can be imaged simultaneously. The incident photon beam angle was at approximately 45° to the sample surface with its polarization in the direction of the angular cuts. Samples are positioned

by a custom sample manipulator that can be cooled below 10 K. The sample temperature was measured by a calibrated diode mounted near the measurement position. The temperature difference between the diode position and the actual measurement position was found to be negligible from previous measurements on another diode that had been mounted to a sample holder in an identical fashion as the samples.

All $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$ measurements were taken with 16.5 eV photons, which have been found empirically to give a high photoionization cross section. Samples were aligned by Laue diffraction prior to vacuum chamber introduction. Shiny flat surfaces resulted from cleaving the samples *in situ* by the top-post method at 10 K. LEED was performed after the photoemission measurements to check surface structure and quality. For each measurement set, the temperature was cycled a number of times to ensure repeatability and an absence of problems from surface aging. No such problems were detected over the typical measurement time of 7 hours per k -space cut. To improve statistics of these intrinsically low signal experiments the same temperature spectra were summed together.

In order to see signatures of superconductivity on a system with an expected small gap, it is crucial that one compare leading edge midpoints (LEMs) from the same sample above and below T_c . In the past it has been standard practice to simply compare LEMs of the spectral weight onset to the Fermi energy of a reference gold sample, but this kind of analysis is not reliable in the small gap n -type systems. To make this point more clear, in Fig. 1 we compare the trend of the LEMs of $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$ referenced to the Fermi energy to that of one plane bismuth based cuprates with similar T_c 's as our $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$ sample. All spectra were taken at approximately 11 meV resolution and with the polarization parallel to the Cu-O bond. The bismuth cuprate data are adapted from

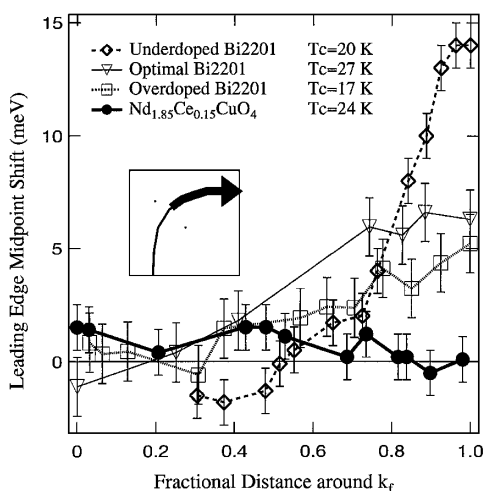


FIG. 1. Plot of the LEM around the apparent Fermi surface of a few cuprate superconductors of comparable T_c 's in units of the fractional distance from $(\pi/2, \pi/2)$ to $(\pi, 0.3\pi)$.

Ref. [14]. A few distinct trends are evident in the hole doped compounds. There is a notable decrease in the maximum gap as one proceeds from underdoping to overdoping. This is consistent with previous ARPES results as well as with other techniques. There is a definite increase in the LEMs as one goes around the Fermi surface in accordance with one's d -wave expectation. Similar behavior is seen in $\text{YBa}_2\text{Cu}_3\text{O}_{7-x}$ and $\text{La}_{1.85}\text{Sr}_{0.15}\text{CuO}_4$ [15,16]. In contrast, this analysis which reveals a large anisotropy on the hole doped compounds does not reveal any clues as to anisotropy in $\text{Nd}_{1.85}\text{Ce}_{0.15}\text{CuO}_4$ as the LEM referenced to E_F shows no systematic trends along its Fermi surface. This is a consequence of the fact that the superconducting gap by any measure is much smaller than in the hole doped materials and hence is obscured due to finite resolution and subtle changes in the line shape around the Fermi surface. If the systematics of the line shape did not change very much around \mathbf{k}_F , one would still have a good measure of relative changes in the gap energy, despite not being able to measure its absolute magnitude exactly. This has been done, for example, in the imaging of a gap in Bi2212 and $\text{YBa}_2\text{Cu}_3\text{O}_{7-x}$ that follows the d -wave functional form, despite large measured negative gap energies in the nodal region [15,17]. In the present case, due to the previously mentioned weaker component that appears near $(\pi, 0)$, the systematics of the line shape do change and a simple comparison with E_F is not valid. One must then compare the shift of LEMs from spectra above and below T_c at the same momentum space point on the same sample in order to accurately measure the gap value. This should remove extraneous effects of the final state and otherwise eliminate effects (e.g., photoionization matrix elements) other than a gap opening up.

We took coarse energy resolution data at 10 K with over 500 energy distribution curves (EDCs) over a Brillouin zone octant and symmetrized across the zone diagonal. Figure 2 shows a 30 meV integration about the Fermi energy of these EDCs plotted over a Brillouin zone quadrant. Along the circularly shaped Fermi surface, one sees three regions of high intensity. The central one corresponds to the previously mentioned broad, highly dispersive feature moving into the integration window. The other two are the intensity maxima of the smaller low binding energy feature. In the inset is a typical LEED pattern that shows bright well-formed spots with a symmetry commensurate with that of the bulk. The extreme surface sensitive nature of LEED is an excellent cross-check of the surface quality. We took high resolution angle resolved cuts at two temperatures through \mathbf{k}_F points in two different regions of momentum space as shown by the arrows in the figure [$(0.46\pi, 0.46\pi)$ and $(\pi, 0.27\pi)$] exactly, but hereafter referred to as near $(\pi/2, \pi/2)$ and $(\pi, 0.3\pi)$. In both cases the photon energy was 16.5 eV, polarization was parallel to the cut direction, and the energy resolution was 11 meV.

In Figs. 3a and 3b, we present color scale plots of the spectral function in a $\pm 5.5^\circ$ ($\pm 21\% \pi$) angular windows

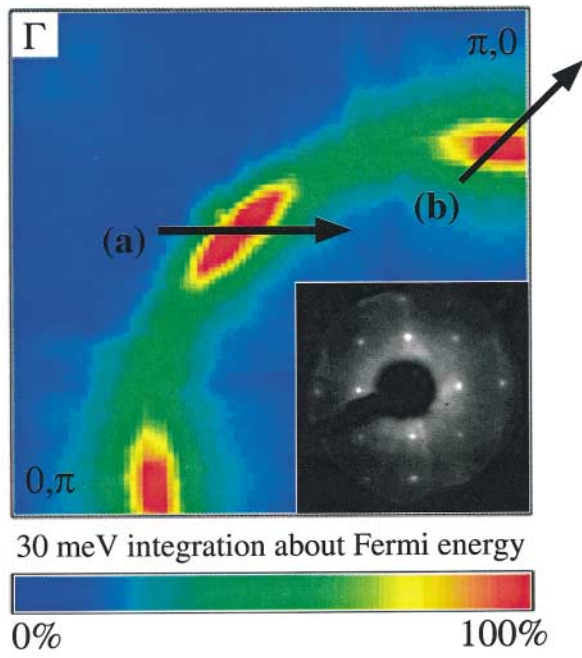


FIG. 2. (color). A 30 meV integration around the Fermi energy of each EDC plotted over the Brillouin zone quadrant. Two high resolution angle resolved cuts [labeled (a) and (b)] were taken as marked by the arrows. These are displayed in Fig. 3. In the inset is the LEED pattern of the sample cleaved *in situ* at 10K.

from the cuts near $(\pi/2, \pi/2)$ and $(\pi, 0.3\pi)$, respectively. In the spectra near $(\pi/2, \pi/2)$ we find a dispersion which is universal for the cuprates in this region of the Brillouin zone. A large broad feature disperses towards the Fermi energy, sharpens, and then disappears as it passes above E_F . In 3b, which is a cut through \mathbf{k}_F at approximately $(\pi, 0.3\pi)$, the spectra are best characterized by a large hump feature that disperses only slightly while the smaller low energy feature disperses toward E_F , loses weight, and then disappears. This behavior has been characterized in more depth elsewhere [12]. In Figs. 3c and 3d, we compare spectra at 0.5° steps taken at 30 K (red) and 10 K (blue) at a few near \mathbf{k}_F positions for each cut. In 3c from the spectra near $(\pi/2, \pi/2)$ we see that, aside from some small thermal broadening, there is no temperature induced change. This is quite different from that of spectra from the \mathbf{k}_F crossing near $(\pi, 0.3\pi)$ where there is a systematic displacement by ~ 1.5 – 2 meV of the leading edge to higher binding energy in the superconducting state.

In Fig. 4 there is an expanded image of a spectrum with one of the large temperature induced shifts in Fig. 3d. To more systematically quantify the result, we fit the line shape with a simple phenomenological model. For broad spectral features at the Fermi level, the superconducting state spectra can be approximated by a 10 K Fermi function multiplied by a linear spectral function whose onset edge is displaced from the Fermi energy by the superconducting gap energy. Likewise, the normal state spectra

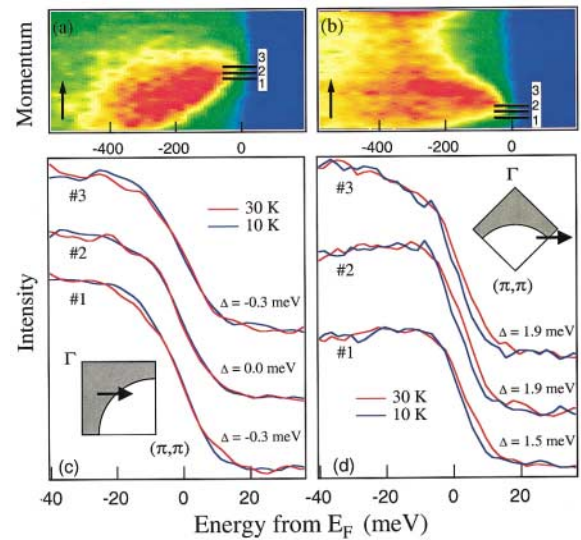


FIG. 3. (color). At the top labeled (a) and (b) are false color plots representing the intensity of the spectral function in $\pm 5.5^\circ$ angular windows ($\pm 21\% \pi$) near $(\pi/2, \pi/2)$ and $(\pi, 0.3\pi)$, respectively. In (c) and (d) we compare EDCs taken at 30 K (red) and 10 K (blue) from the k - E regions represented by the horizontal bars in panels (a) and (b), respectively. Arrows denote the direction that angular cuts are displayed as referenced to the arrows in insets of the Brillouin zone. Gap values represent the results of the fitting procedures for the curves.

can be modeled as that of a 30 K Fermi distribution at finite temperature multiplied by the same (but nondisplaced) linear spectral function. These model spectra are convolved with a Gaussian of FWHM of 11 meV to simulate the experimental resolution. The agreement between the experimental curves and the fits is quite good within this picture with a gap parameter of 1.9 meV.

The above temperature dependent measurements were repeated on seven different samples [four samples at both \mathbf{k}_F positions, two only at $(\pi, 0.3\pi)$, and one just at $(\pi/2, \pi/2)$]. In the inset of Fig. 4 we plot the temperature dependent shift of the LEM at both \mathbf{k}_F crossings for all samples. Although there is some scatter in the data, one can see that, with the exception of one sample, they all show a 1.5–2 meV shift at the $(\pi, 0.3\pi)$ position and a negligible one at the $(\pi/2, \pi/2)$ position. This shift anisotropy is interpreted as a consequence of the opening of a superconducting gap that is maximal near $(\pi, 0)$ and minimal or zero along the zone diagonal. This is consistent with the presence of a $d_{x^2-y^2}$ superconducting order parameter. However, we cannot rule out a very anisotropic s -wave order with a small gap along the zone diagonal that is below our detection limit [approximately the same as the scatter in the data at $(\pi/2, \pi/2)$, < 0.3 meV]. The reason for the lack of a temperature dependent shift on the one sample is unknown. Its spectral features and dispersions were consistent with the others. It is possible that it suffered from being in poor thermal contact with the cold stage.

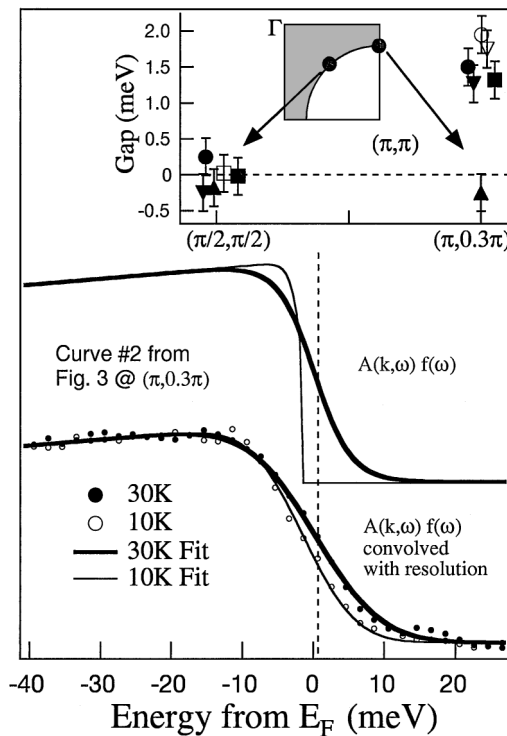


FIG. 4. At the bottom of the panel are EDCs from \mathbf{k}_F near $(\pi, 0.3\pi)$ which is curve 2 from Fig. 3d. They are plotted along with a simple fit convolved with the resolution. At the top is the same fit unconvolved with the experimental resolution. The fitted gap parameter is 1.9 meV. In the inset is a plot of the temperature dependence data from all seven samples taken near $(\pi/2, \pi/2)$ and $(\pi, 0.3\pi)$. The data are slightly offset from each other in the horizontal direction for display purposes.

The $2\Delta/k_B T_c$ ratio in the narrow doping range of superconducting n -type materials is typically measured to be smaller than those in the hole doped ones. There is no consensus on where they would fit analogously into the hole doped phase diagram, but perhaps the T^2 dependence of their resistivity suggests that they are more overdoped like. We may then expect a low $2\Delta/k_B T_c$ ratio. The gap value of 1.5–2 meV obtained with our technique is consistent with, but slightly smaller than, the gap values reported by other techniques [5–7]. There are a few possibilities for this. These other measurements typically take place at 4.2 K ($0.15T_c$), in contrast to our measurement at approximately $0.5T_c$. At our intermediate temperatures the superconducting gap may not have opened fully. In addition, there may be some background contribution that partially obscures the gap signal. Lastly, it is well documented that photoemission analysis based on LEMs consistently underesti-

mates the maximum gap value (in some cases by as much as a factor of 2) as compared to the intrinsic value defined as the quasiparticle energy at the antinodal position [17].

In conclusion, we believe there is evidence for an anisotropic superconducting gap in the electron doped material that is consistent with a $d_{x^2-y^2}$ pairing state. Despite the strong differences between the p - and n -type compounds in the larger scale electronic structure (~ 1 eV), their superconductivity appears to share the same symmetry and is therefore possibly of similar origin.

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